

# Application of the linear scale space in segmentation of cells in microscopic images

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## Introduction

Segmentation of touching cells, or cells having branching structures presents a major challenge for *intensity threshold*-based techniques. The situation can be further complicated in histological sections, where various extracellular structures overlap with the cells or structures of interest. In contrast, *regional approaches* benefit from existing spatial correlations of the data dictated by the underlying anatomical structures.

Multiscale approaches appear to be very promising in a variety of applications. *Linear scale space* is spanned by increasing convolutions of Gaussian kernels with the image under study. In the English speaking literature this approach was pioneered by Marr and Hildreth [4], who introduced a pre-processing Gaussian convolution step. While the approach has been conceptualized earlier in Japan in the context of scale space theory by Iijima [2] and his disciples.

## Signal Processing

### Isotropic smoothing

Interactions of the Gaussian kernels with the image can be viewed as realizations of a diffusion process and can be described well by the diffusion equation with an initial condition the original image  $L_0(x) = I(x, y)$ .

$$L_s(\mathbf{x}) = G_s * I = \int I(x) G_s(x - z) dz \quad (1)$$

The special properties of the Gaussian kernel rely on the fact that it is a generic solution of the diffusion equation where the scale of the kernel is viewed as "time"

$$\frac{\partial G(x, y)}{\partial s} - \frac{1}{2} \nabla^2 G(x, y) = 0 \quad (2)$$

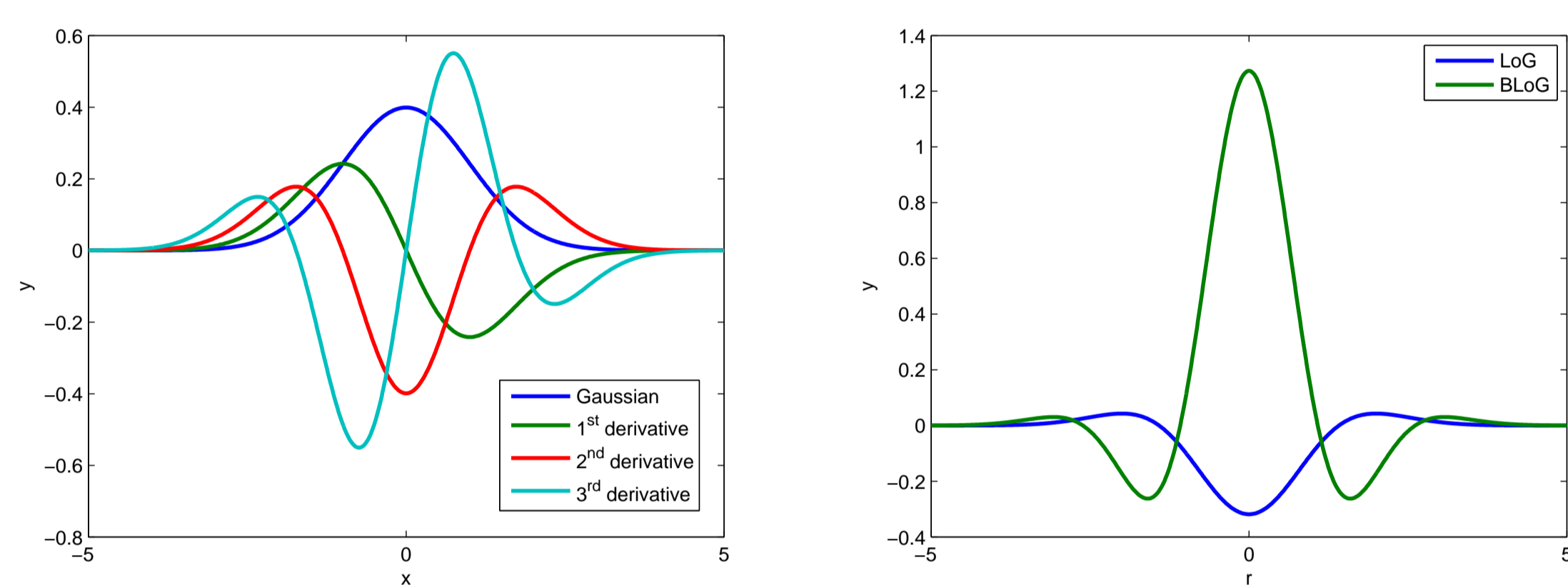


Figure 1: Gaussian derivative (GD) kernels. Laplacian of Gaussian (LoG) and Bi-Laplacian of Gaussian (BLoG) kernels

GD kernels can be combined isotropically in the Laplacian of Gaussian (LoG) or in a power of LoG (PLOG). The first resulting kernel is also known as the Mexican hat filter, while the second is denoted as Bi-Laplacian of Gaussian (BLoG):

$$\text{LoG}_s(r) = -\frac{(2s - r^2) e^{-\frac{r^2}{2s}}}{2\pi s^3} \quad (3)$$

$$\text{BLoG}_s(r) = \frac{(8s^2 - 8r^2s + r^4) e^{-\frac{r^2}{2s}}}{2\pi s^5} \quad (4)$$

where  $r$  conventionally denotes the distance from the origin and  $s$  represents the scale. Edges in this way correspond to sign alternation in the filter response (zero-crossing event; see Fig. 1).

### Isotropic edge-detection

Edges are characterized with a step increase in the image brightness. This fact can be modeled as estimation of a directional derivative. In order to stabilize the filter response against additive noise the derivation step can be combined with smoothing, which will result in convolving the original image with a derivative of the Gaussian kernel (GD).

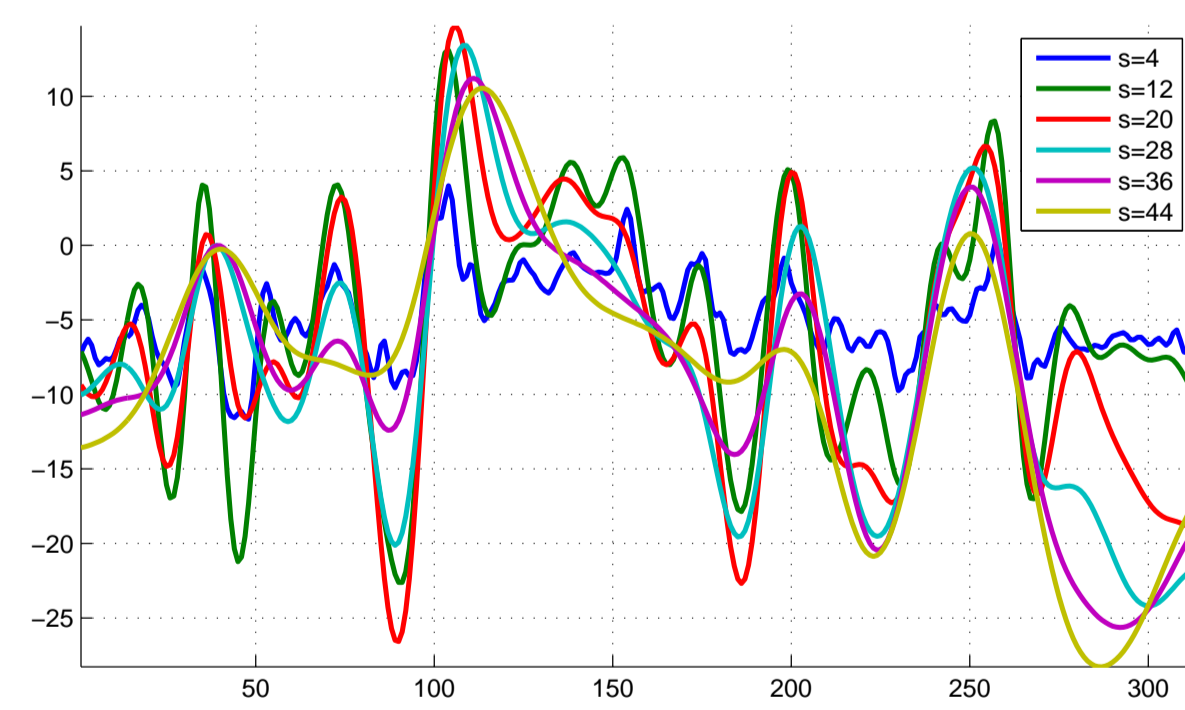


Figure 2: Response of the LoG filter for several different scales. Scale space projection of Giemsa stained granulocyte (seen next two figures. Left: LoG operator zero set; Right: BLoG operator zero set. Note the possibility to discern nuclear features. Scales,  $s=4, 12, 20, 28, 36, 44$  pixels. X – sample number; Y - arbitrary intensity units.

## Implementation

In the concrete work-flow we use a combination of the Laplacian of Gaussian or Bi-Laplacian of Gaussian, detection of zero crossings and 4/8-connected component labeling. The algorithms are implemented as a set of independent ImageJ plugins.

## Results

### Segmentation of nuclear lobes

Blood smears have been freshly prepared and stained according to the standard Romanovsky-Giemsa protocol and observed under an inverted Zeiss Axiovert 40 microscope using a 20x objective. Images

were taken using a 5 MPix Sony DSC W30 camera in RGB mode. Further processing is demonstrated on the green channel.

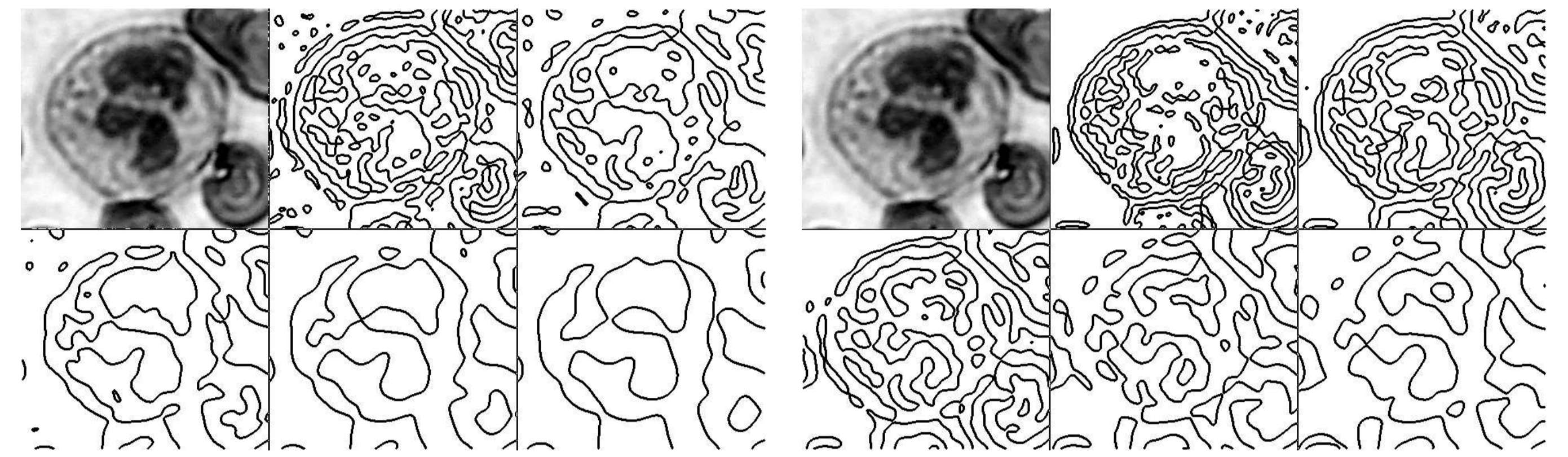


Figure 3: Scale space projection of Giemsa stained granulocyte. Left: LoG operator zero set; Right: BLoG operator zero set. Scales,  $s=4, 12, 20, 28, 36, 44$  pixels.

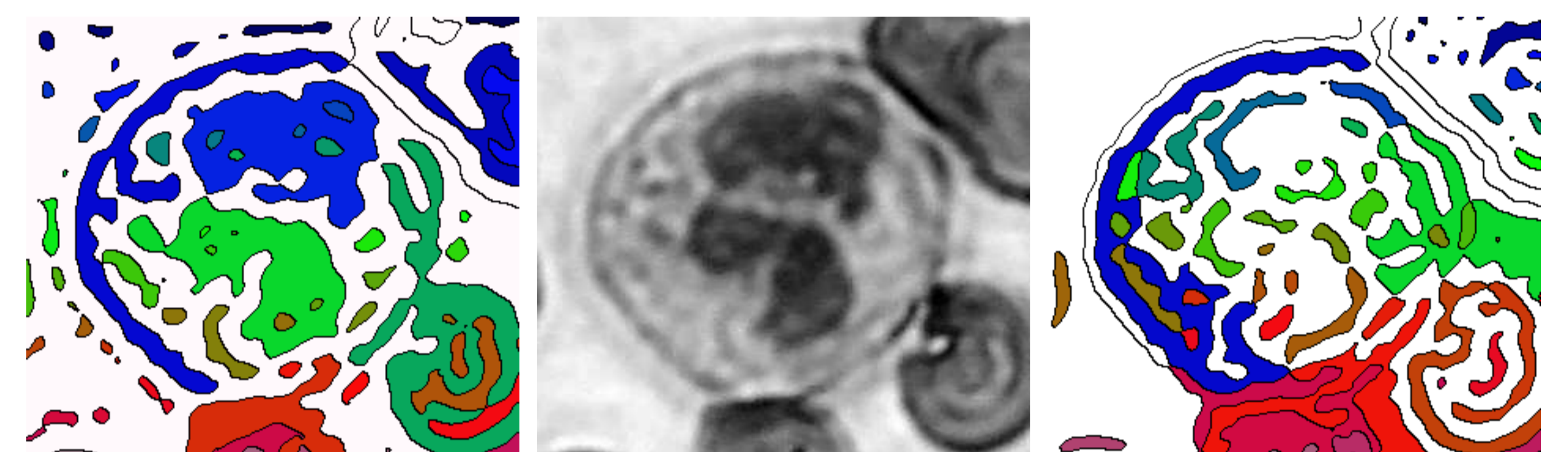


Figure 4: Blob segmentation based on median projections. LoG (left) and BLoG (right) operators were computed in the scales from 6 to 26 pixels. Blobs, representing distinct regions, were constructed from the 4-connected components of the complement to the zero-space. The original image is displayed in the middle for appreciation. Note the possibility to discern nuclear features.

### Segmentation of astrocytes

Frozen cryostate sections ( $20 \mu\text{m}$ ) of mouse brain were immunostained for GFAP using the following protocol: pre-incubation - 4h in 10 % normal goat serum, containing 0.1 % Triton-X 100; incubation - rabbit GFAP antibody (1:500) overnight at room temperature. Following secondary incubation for 4h with anti-rabbit Alexa-568 (1:500) in blocking buffer, the sections were cover-slipped with Vectashield-DAPI mounting medium. Confocal images were acquired on Zeiss 700 confocal microscope (Carl Zeiss Microimaging GmbH, Germany) using Plan Apochromat 10x objective at 16 bit dynamic range.

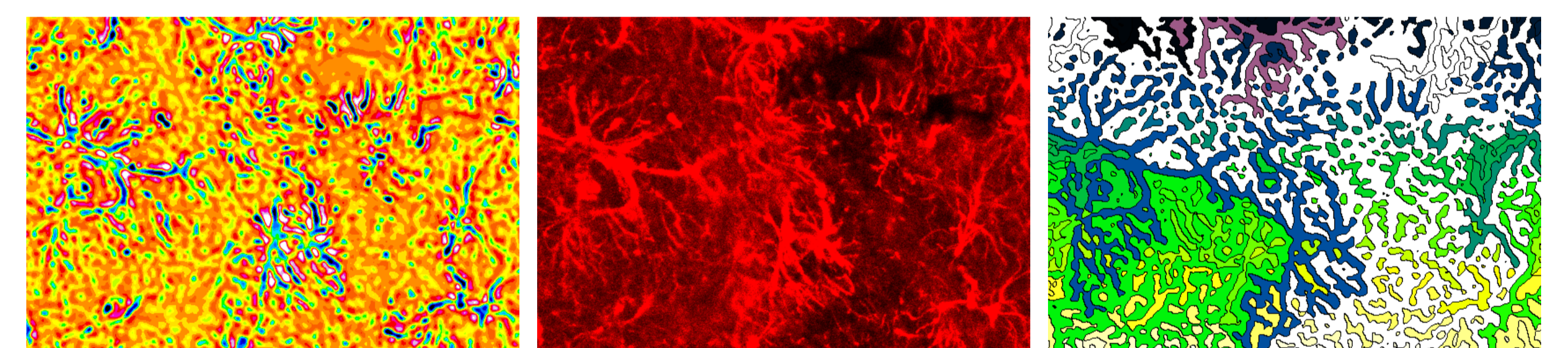


Figure 5: Blob segmentation based on median projections. LoG (Left) was applied in the scales from 5 to 14 pixels. Blobs (Right), representing distinct regions, were constructed from the 4-connected components of the complement to the zero-space. The original image is displayed in the middle for appreciation. Note the astrocyte depicted in navy blue for better appreciation.

## Summary and Outlook

- Linear scale spaces operators demonstrate robustness against additive and impulse image noise and represent an alternative to threshold-based and morphological techniques [3].
- Median projections across the image scale space are promising dimension reduction approach and can present an alternative to region growing methods [1]

Spaces spanned by the powers of the Laplacian operators represent a connection between scale space and wavelet theory. Indeed, when the convolution step is combined with a derivation, the resulting kernel fulfills the admissible conditions for a wavelet. In such way, the resulting transform becomes sensitive to a variety of local features of the image, which can be used for classification.

## References

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